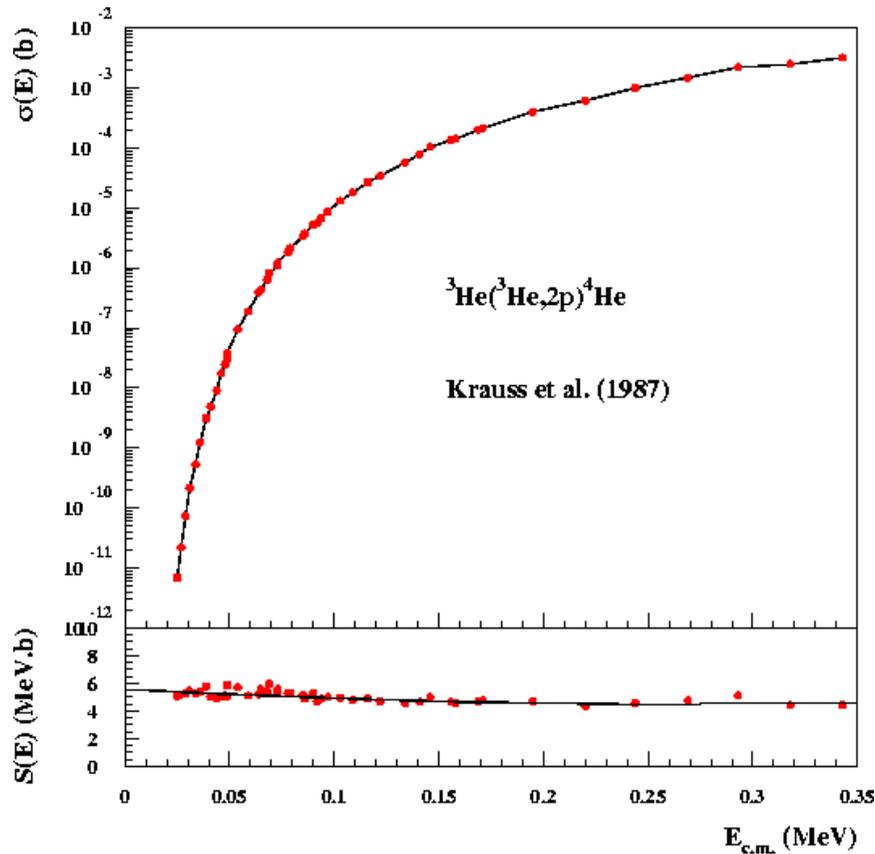


# Trojan Horse Method and its application to nuclear astrophysics with stable and unstable

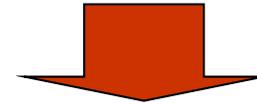
Rosario Gianluca Pizzone

INFN - LNS Catania

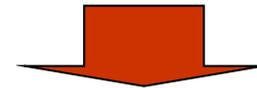




@ Gamow energies



$\sigma$  in the range nano-picobarn



in general, their direct evaluation is

-severely hindered

-and in some cases even beyond present technical possibilities.

Possible solutions: underground measurements,  
extrapolations

# The DANGER OF EXTRAPOLATION ...

large uncertainties in the extrapolation!

It is Necessary to Maximize the signal-to-noise ratio

## SOLUTIONS



**Even worse with RIB!!!!**

- IMPROVEMENTS TO INCREASE  
NUMBER OF DETECTED PARTICLES

4  $\pi$  detectors

New accelerator at high beam  
intensity

- IMPROVEMENTS TO REDUCE  
THE BACKGROUND

Use of laboratory with natural  
shield - (underground physics)

Use of magnetic apparatus (Recoil  
Mass Separator)

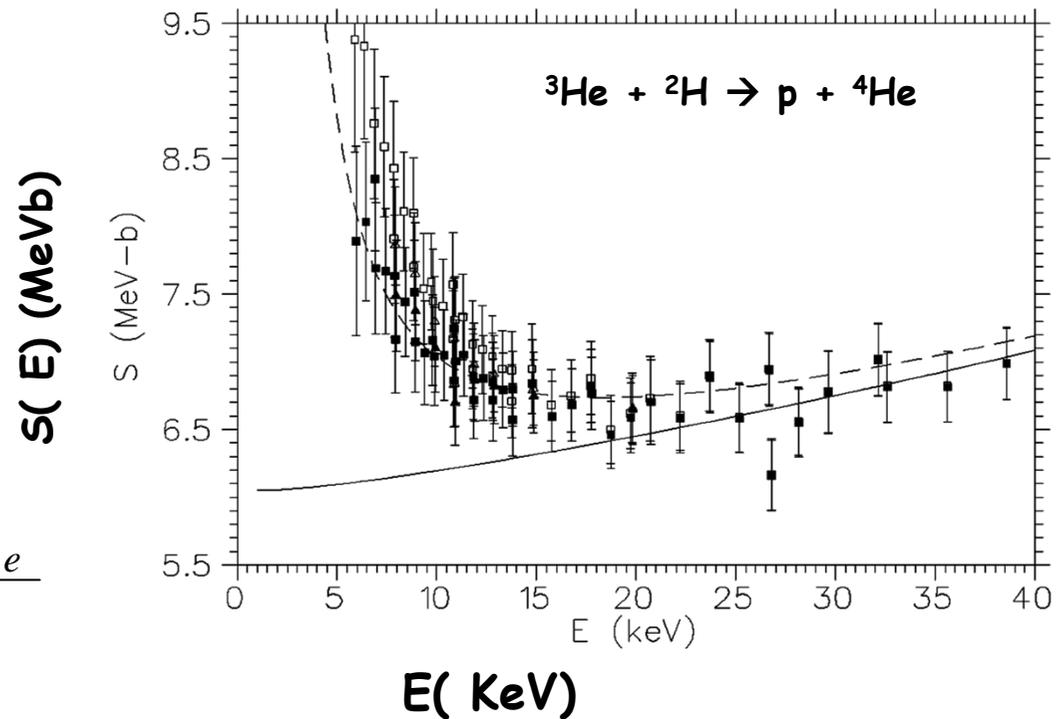
However

The electron screening effect must  
be taken into account

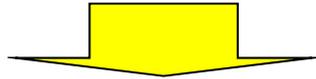
(Assenbaum, Langanke, Rolfs: Z.Phys.327(1987)461)

In the accurate measurements for the determination of nuclear cross-sections at the Gamow energy, in laboratory, enhancement  $f_{\text{lab}}(E)$  -factor in the astrophysical  $S_b(E)$ -factor has been found

$$S_{Sh} \propto S_b \cdot e^{\frac{\pi \eta U_e}{E}}$$



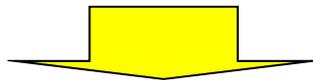
Independent measurements of bare nucleus  $S(E)$  factor  
and electrom screening potential  $U_e$  are needed !!!



**NEW METHODS ARE NECESSARY**

-to measure cross sections at never reached  
energies especially in the RIB case

-to retrieve information on electron screening effect  
when ultra-low energy measurements are available.



**INDIRECT METHODS  
ARE NEEDED**

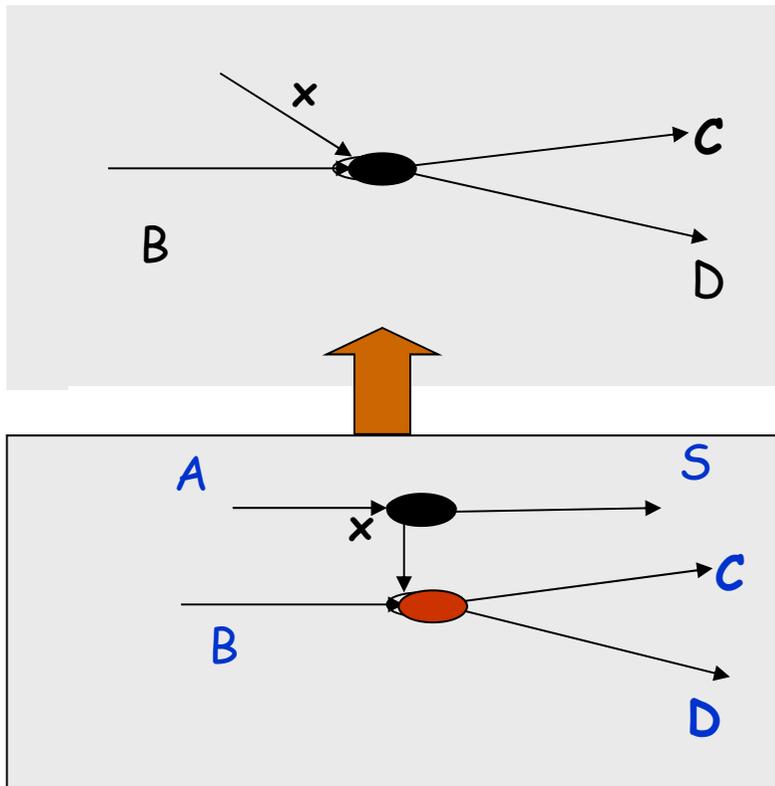
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## Main Indirect Methods

- a) - Coulomb dissociation  
to study radiative capture reactions
- b) - Asymptotic Normalization Coefficients (Anc)  
...to extract direct capture cross sections using peripheral transfer reactions
- c) - Beta Delay decays studies and other methods
- d) - The Trojan Horse Method (THM)  
to extract charged particle reaction cross sections using the quasi-free mechanism...

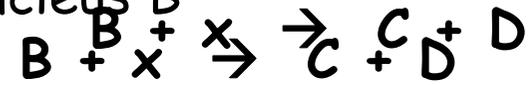
# Trojan Horse Method (outlook)

## Quasi-Free mechanism



Basic idea:

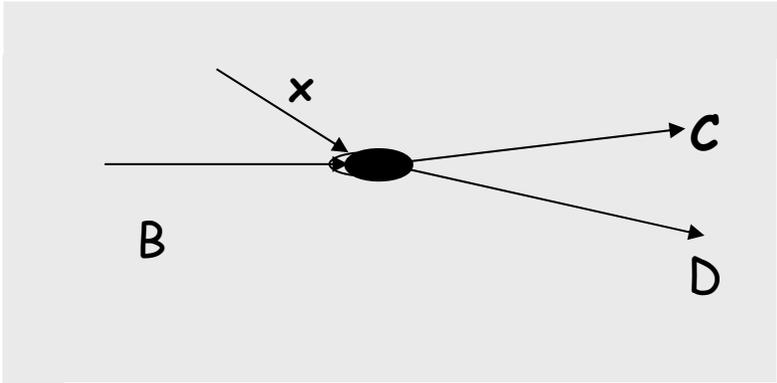
- The A nucleus present a strong cluster structure:  $A = X \oplus S$  clusters. It is possible to extract astrophysically the relevant two-body cross section  $\sigma$ .
- The x cluster (participant) interacts with the nucleus B



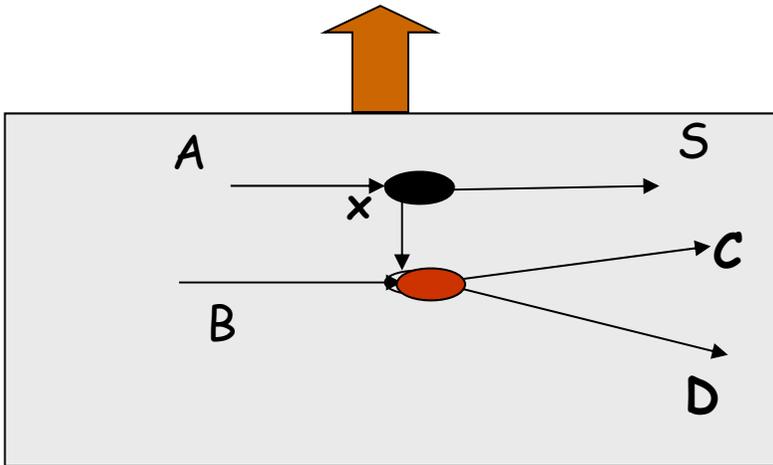
from quasi-free contribution of an appropriate three-body reaction

- The S cluster acts as a spectator (it doesn't take part to the reaction)





We can extract astrophysically relevant two-body cross section  $\sigma$



from quasi-free contribution of an appropriate three-body reaction

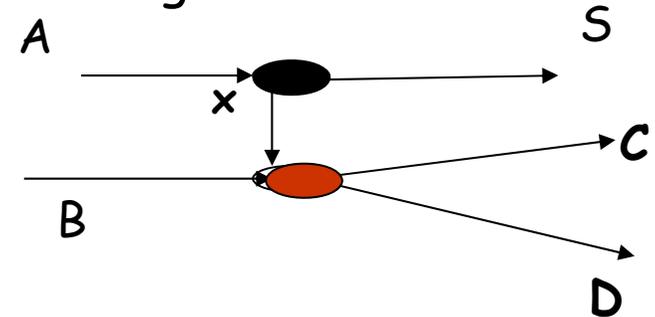


$$E_A > (E_{AB})_{\text{Coulomb Barrier}}$$

# Quasi-Free mechanism $\rightarrow$ Trojan Horse Method

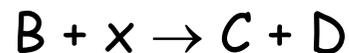
The incoming energy  $E_A$  of the incident particle is larger than the Coulomb barrier energy  $(E_{AB})_{\text{Coul. Bar.}}$

$$E_A > (E_{AB})_{\text{Coulomb Barrier}}$$

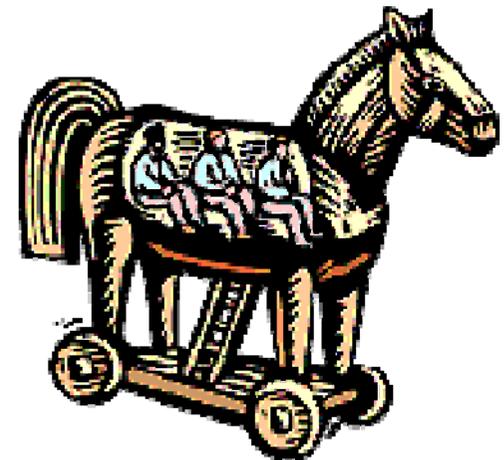


(This means that B and x have a non-negligible probability to be very close)

The nucleus A can be brought into nuclear field of nucleus B and the cluster x induces the reaction



Coulomb effects and electron screening are negligible



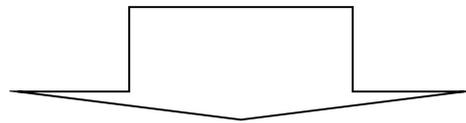
Two body reaction takes place at:

$$E_{qf.} = E_{Bx} - B_{x-s}$$

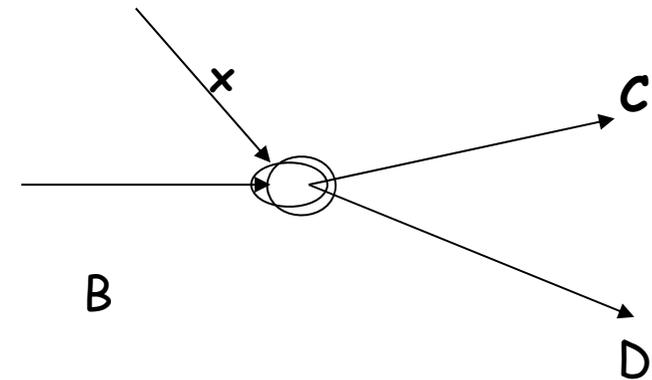
Where

$E_{Bx}$  is the beam energy in the center of mass of the two body reaction

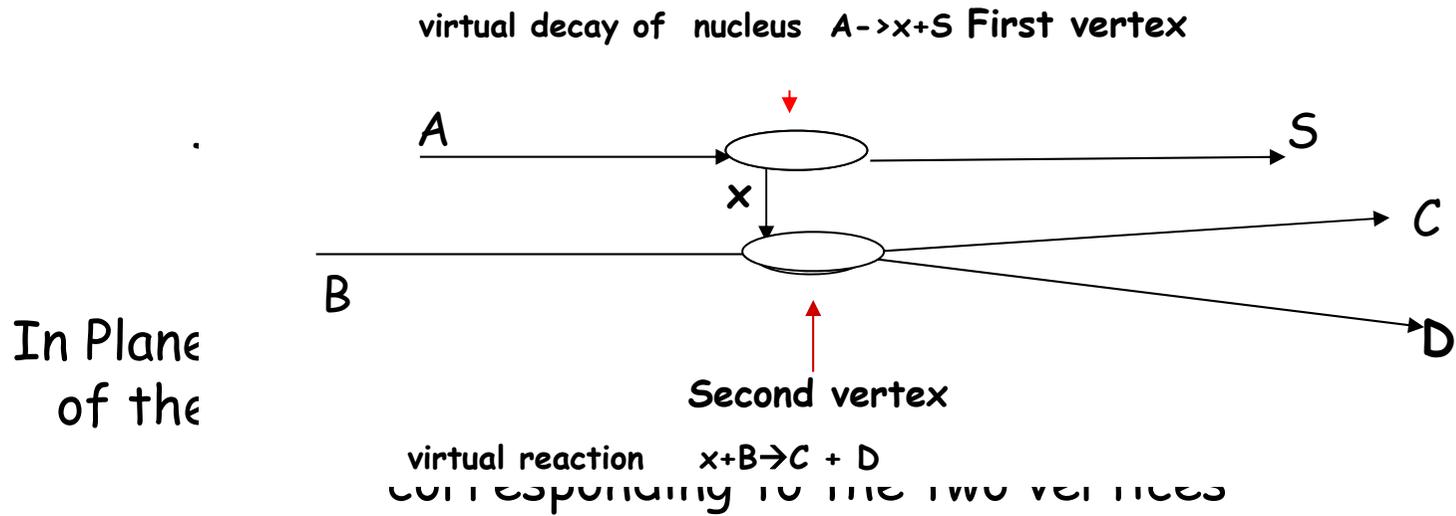
$B_{x-s}$  binding energy of the two clusters inside the Trojan Horse plays a key role in compensating for the beam energy



(under proper kinematical conditions)



$$E_{qf.} \sim 0$$



$$\frac{d^3\sigma}{dE_c d\Omega_c d\Omega_D} \propto \text{KF} \quad [\Phi(q)_{xs}]^2 \quad \left[ \frac{d\sigma}{d\Omega} \right]_{x+B \rightarrow C+D}$$

First vertex

Second vertex

KF kinematical factor

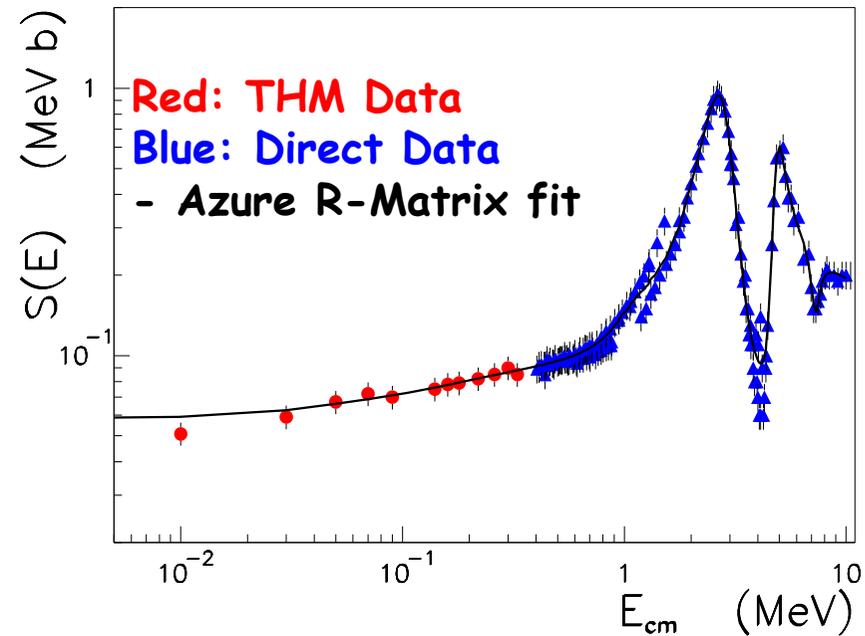
$|\Phi(q_{xs})|^2$  describes the intercluster (x-S) momentum distribution

$(d\sigma/d\Omega)$  two-body cross section of the virtual reaction  $x + B \rightarrow C + D$

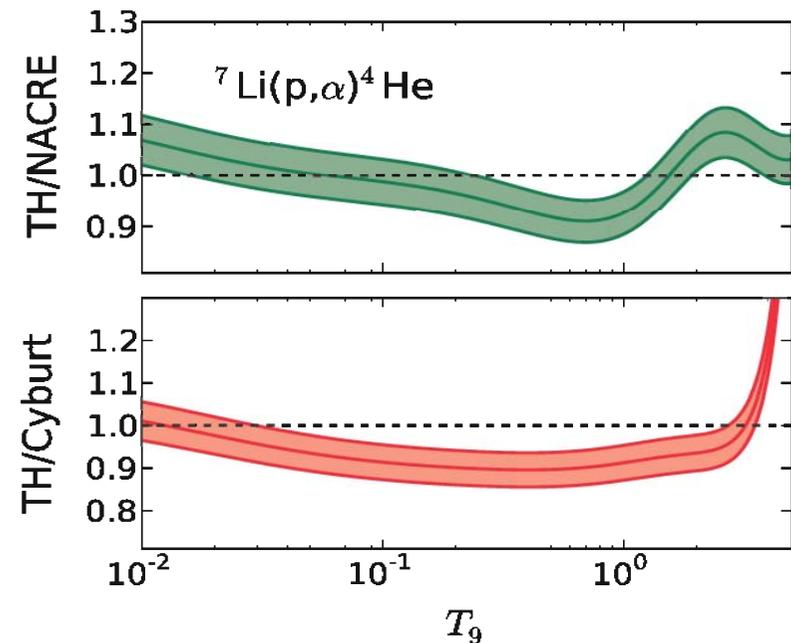
# The ${}^7\text{Li}(p,\alpha){}^4\text{He}$ reaction rate (RGP et al, APJ, 786, 2014)

For the rate both direct  
And THM data were taken  
into account

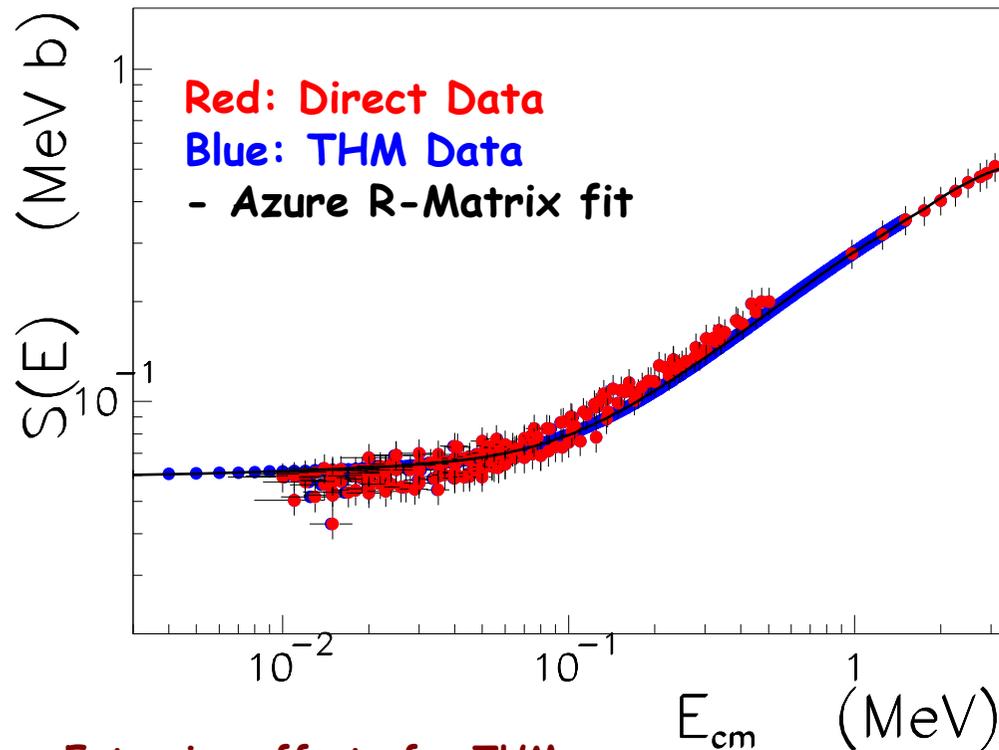
Extensive efforts for THM:  
Spitaleri et al.1999, Lattuada et al  
APJ 2001, RGP et al A&A 2003,  
Lamia et al., A&A 2012



**RESULTS**  
for the reaction rate



# The updated $d(d,n)^3\text{He}$ reaction rate

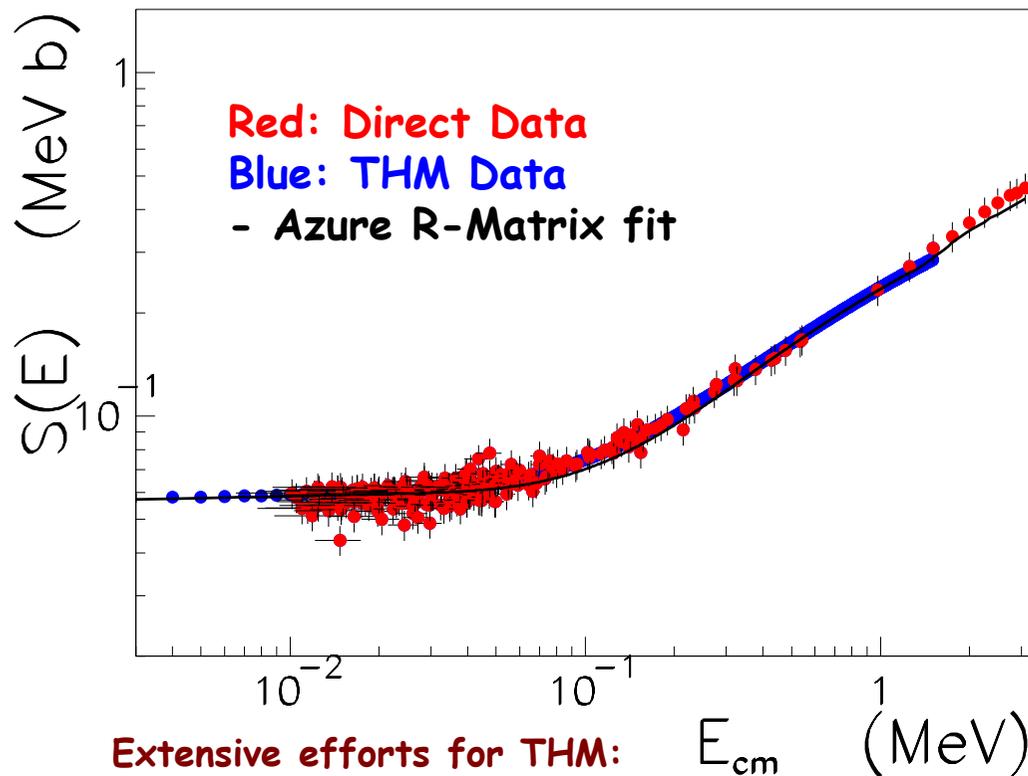


Extensive efforts for THM:  
Tumino et al 2011, Pizzone et al  
2013

For the rate both direct  
And THM data were taken  
into account

**RESULTS**  
for the reaction rate  
(RGP et al, APJ, 786, 2014)

# The updated $d(d,p)^3\text{H}$ reaction rate

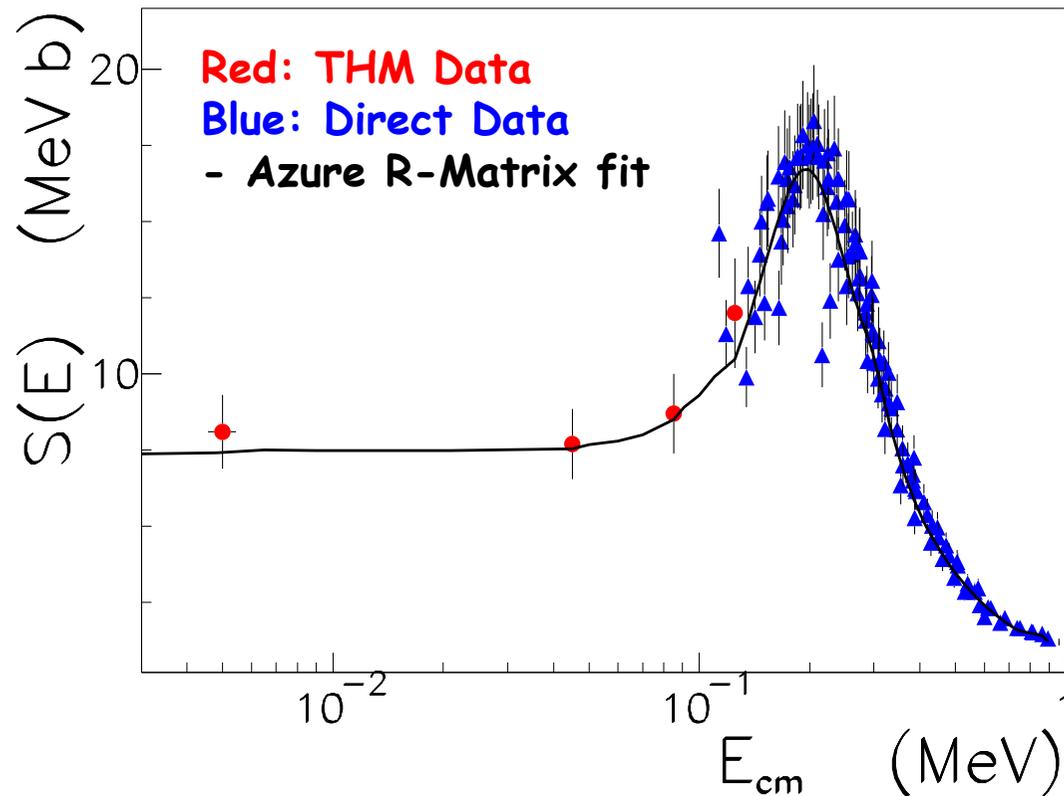


Extensive efforts for THM:  
Tumino et al 2011, Pizzone et al  
2013

For the rate both direct  
And THM data were taken  
into account

**RESULTS**  
for the reaction rate  
(RGP et al, APJ, 786, 2014)

# The updated ${}^3\text{He}(d,p){}^4\text{He}$ reaction rate

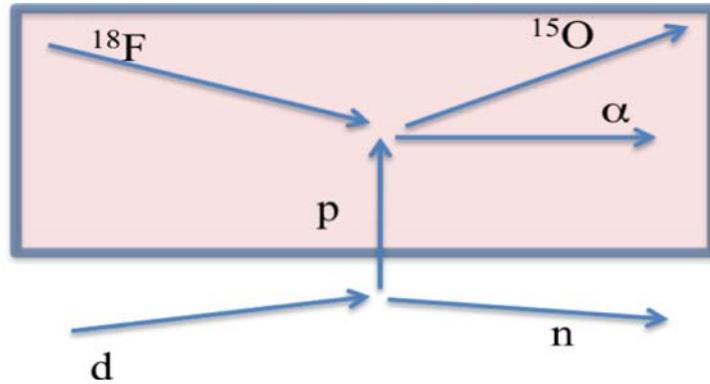


Extensive efforts for THM:  
La Cognata et al. 2005

Future applications  
to  ${}^6\text{Li}(p,\alpha){}^3\text{He}???$   
Currently under  
investigation...

For the rate both direct  
And THM data were taken  
into account

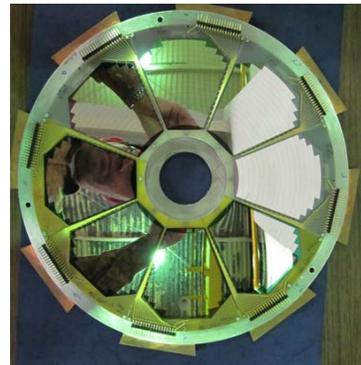
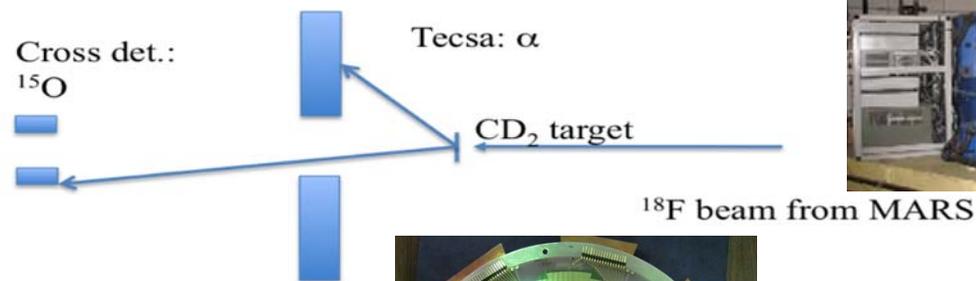
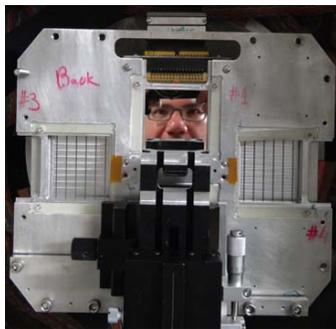
# Application to RIB



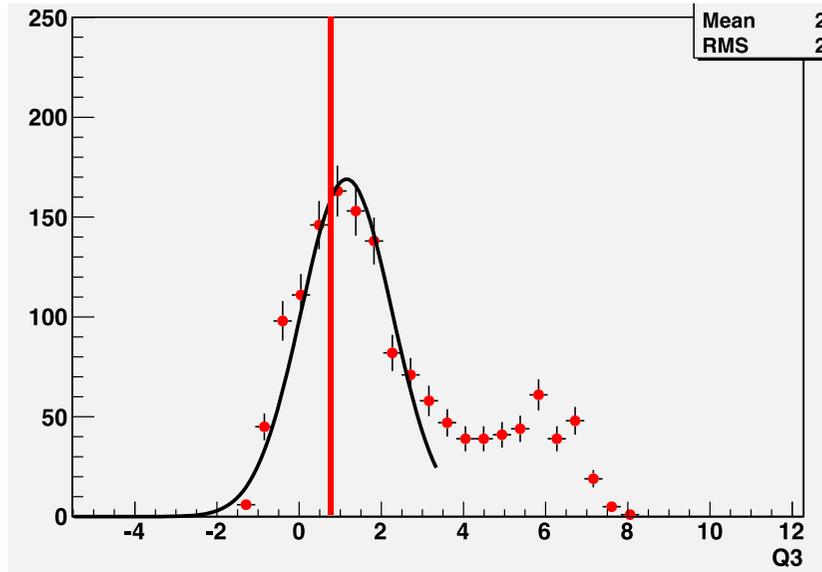
$^{18}\text{F}(p, \alpha)^{15}\text{O}$  studied via  
 $^{18}\text{F}(d, \alpha)^{15}\text{O}n$

$^{18}\text{F}$  beam produced via the  
MARS facility @TAMU  
 $E=56\text{ MeV}$ ,  $I=4 \times 10^5\text{ pps}$

**Figure 1:** Schematic sketch of the  $^{18}\text{F}(p, \alpha)^{15}\text{O}$  studied by means of the THM

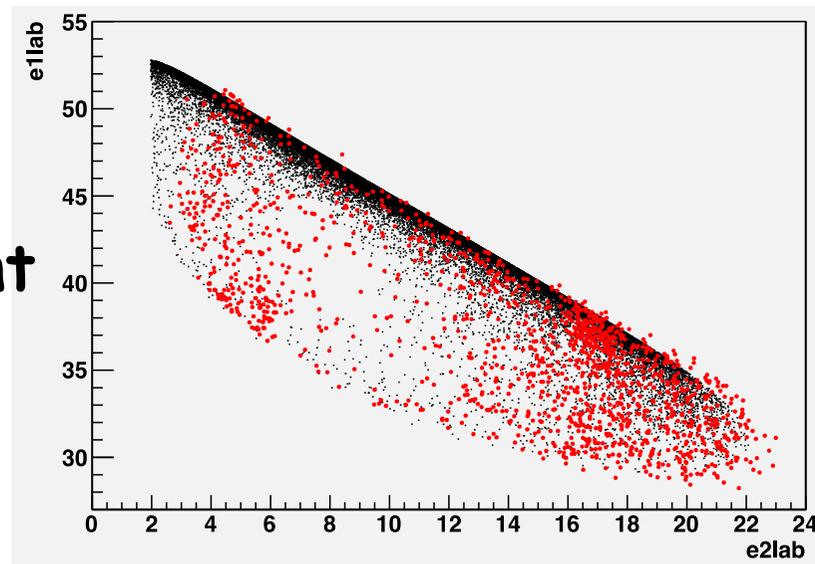


# Preliminary results



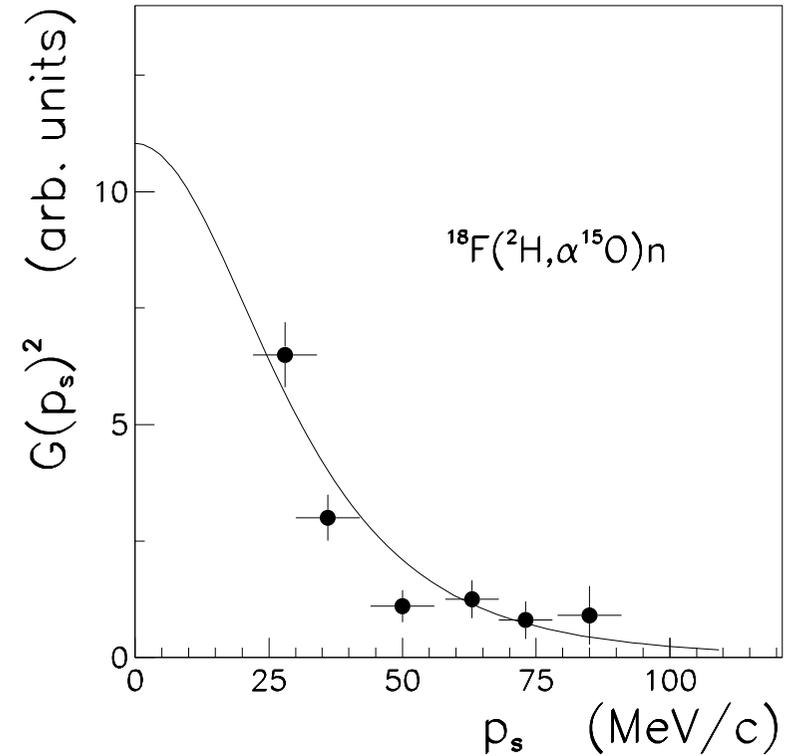
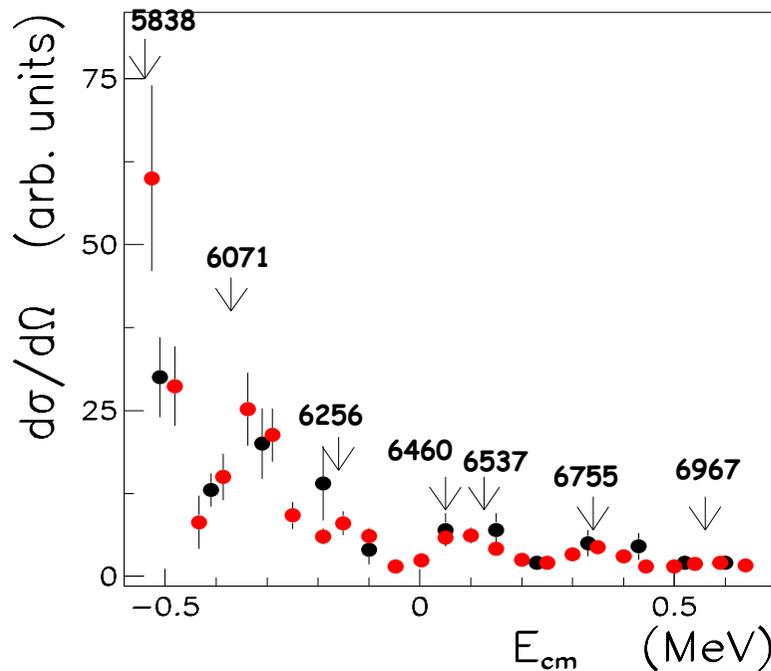
Q-value Spectra and kinematic  
Locus used for gating on the  
Correct 3-body process  
 $^{18}\text{F}(d, \alpha^{15}\text{O})n$

Kinematic locus in agreement  
With expected simulation

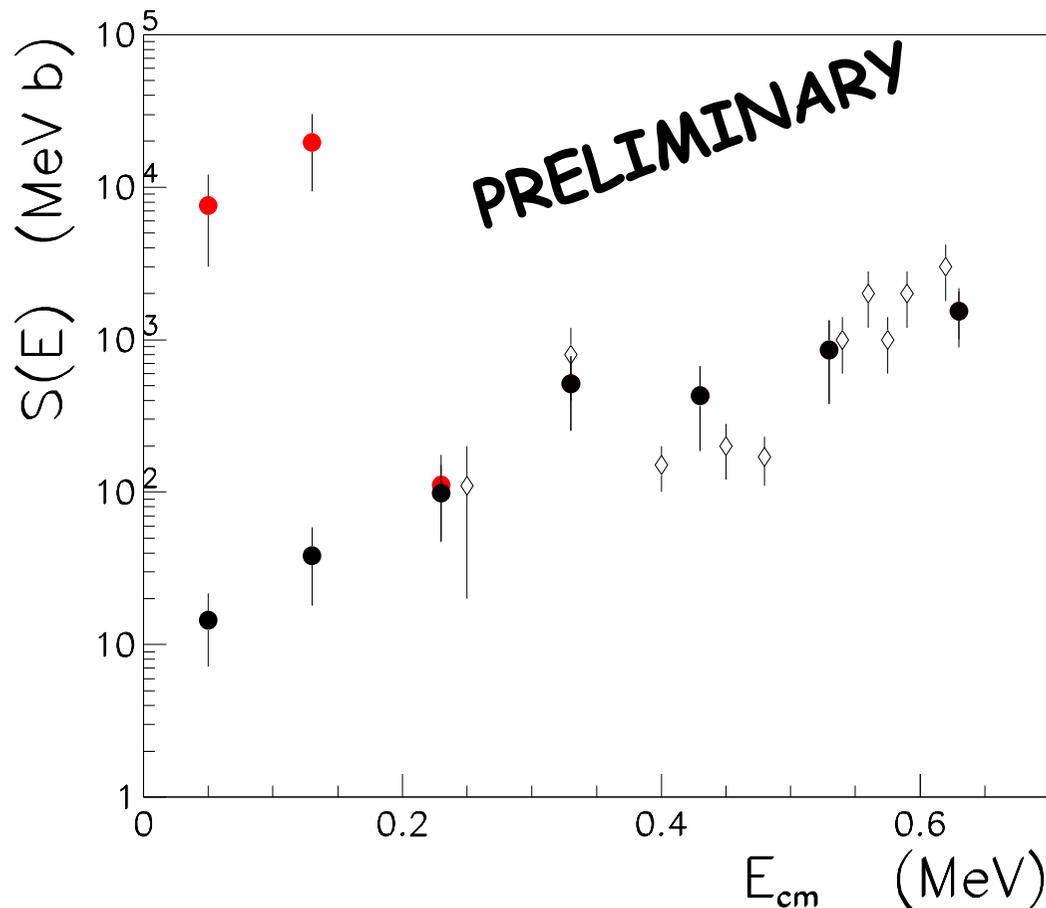


# Preliminary results II

- Evidences of quasi-free break-up in the d momentum distribution
- Using the STD THM we extract the S(E)-factor for the  $^{18}\text{F}(p,\alpha)^{15}\text{O}$



**Black: present work**  
**Red: RIKEN THM run Cherubini et al.**



- The  $S(E)$ -factor is measured in the astrophysical energy region
- Good agreement with direct data after normalization (Beers et al., Bardayan et al)
- THM suitable for RIB application
- PERSPECTIVES: reaction rate extraction & astrophysical applications

Lower limit (black):  $J^\pi = 1/2^-$  or  $5/2^-$   $E^* = 6460$  keV.

Upper limit (red):  $J^\pi = 3/2^+$  for resonance  $E^* = 6460$  keV.



